

Reimann sums provide a useful method of approximating definite integrals. This is especially true if there is no function, but only data, to estimate the integral. However these programs will help you (i) check your answer when you do a simple Reimann sum, trapezoid approximation, or Simpson rule; (ii) compare all of the above for large values of n , the number of subintervals; and (iii) lead you to a deeper understanding of the definition of the definite integral.

Beginning with version 1.3 on the TI-Nspire CAS, you can put this file in the 'MyLib' folder and refresh the library to use it the program while you are in any document. To refresh the library... while on the Calculator page, press MENU, arrow to the right when you go all the way down to Library. Choose 'Refresh Libraries.'

For more tns files (especially calculus) check out <http://cs3.covenantchristian.org/bird/Nspire.html>

	Simpson = .083333333333
	\int = .083333333333
	<i>Done</i>
<hr/>	
<i>rsa2</i> (1,0,5)	
	left = .08
	right = .08
	midpoint = .085
	trapezoid = .08
	Simpson = .083333333333
	\int = .083333333333
	<i>Done</i>
<hr/>	
<i>area\rsa2</i> (1,0,7)	
	left = .081632653061
	right = .081632653061
	midpoint = .084183673469
	trapezoid = .081632653061
	Simpson = .083333333333
	\int = .083333333333
	<i>Done</i>
<hr/>	
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rs

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Define LibPub **rs**(b,a,n)=

Prgm

©**rs**(b,a,n) Define **f1**(x), $\Delta x = \frac{b-a}{n}$

©Reimann Sum rectangles with trapezoid, Simpson & definite int

Disp "left" "=",
$$\sum_{i=1}^n \left(h \cdot \mathbf{f1} \left(a + (i-1) \cdot h \right) \right) \Big|_{h = \frac{b-a}{n}}$$

Disp "right" "=",
$$\sum_{i=1}^n \left(h \cdot \mathbf{f1} \left(a + i \cdot h \right) \right) \Big|_{h = \frac{b-a}{n}}$$

Disp "midpoint" "=",
$$\sum_{i=1}^n \left(h \cdot \mathbf{f1} \left(a + \left(i - \frac{1}{2} \right) \cdot h \right) \right) \Big|_{h = \frac{b-a}{n}}$$

Disp "trapezoid" "=",
$$\sum_{i=1}^n \left(\frac{1}{2} \cdot h \cdot \left(\mathbf{f1} \left(a + (i-1) \cdot h \right) + \mathbf{f1} \left(a + i \cdot h \right) \right) \right) \Big|_{h = \frac{b-a}{n}}$$

Disp "Simpson" "=",
$$\frac{h}{3} \cdot \sum_{i=0}^{n-1} \left(\mathbf{f1} \left(a + 2 \cdot i \cdot h \right) + 4 \cdot \mathbf{f1} \left(a + (2 \cdot i + 1) \cdot h \right) + \mathbf{f1} \left(a \right. \right.$$

Disp "∫" "=",
$$\int_a^b \mathbf{f1}(x) dx$$

rsa

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©rsa(b,a,n) Define $f1(x)$, rs approximate

Disp "left" "=",
$$\sum_{i=1}^n (h \cdot f1(a+(i-1) \cdot h)) \Big| h = \frac{b-a}{n}$$

Disp "right" "=",
$$\sum_{i=1}^n (h \cdot f1(a+i \cdot h)) \Big| h = \frac{b-a}{n}$$

Disp "midpoint" "=",
$$\sum_{i=1}^n (h \cdot f1(a+(i-.5) \cdot h)) \Big| h = \frac{b-a}{n}$$

Disp "trapezoid"=",
$$\sum_{i=1}^n \left(\frac{1}{2} \cdot h \cdot (f1(a+(i-1) \cdot h) + f1(a+i \cdot h)) \right) \Big| h = \frac{b-a}{n}$$

Disp "Simpson" "=",
$$\frac{h}{3} \cdot \sum_{i=0}^{n-1} (f1(a+2 \cdot i \cdot h) + 4 \cdot f1(a+(2 \cdot i+1) \cdot h) + f1(a+(2 \cdot i+2) \cdot h)) \Big| h = \frac{b-a}{n}$$

Disp "∫" "=", approx
$$\left(\int_a^b f1(x) dx \right)$$

EndPrgm